

Leaky Capital Controls in the Presence of Savvy Financial Markets

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Capital Controls & Regulatory Evasion

Research Question:

How effective are imperfectly enforceable capital controls?

This Paper:

- ▶ Stylized models of inefficient capital inflows and regulatory evasion
- ▶ Domestic regulator uses capital controls to correct externalities
- ▶ Financial sector strategically evades capital controls

Results:

- ▶ Leaky capital controls can still improve welfare
- ▶ Controls are more binding when evasion is costly. . .
- ▶ . . . but, “first-best” equilibrium is no longer possible
- ▶ A “naive planner” could inadvertently reduce welfare

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Background

- ▶ Capital controls are hip again
- ▶ IMF: should be part of the “policy toolkit” (*under some conditions*)
- ▶ New theoretic literature on welfare rationale:
 - ▶ Insulate against volatile capital flows
 - ▶ Avoid excessive exchange rate appreciation
 - ▶ “externalities view” → overborrowing in equilibrium
 - ▶ e.g. Lorenzoni 2008; Jeanne and Korinek, 2010; Davis and Presno, 2014
- ▶ Less formal attention on issue of enforcement and strategic evasion
 - ▶ Two exceptions:
 - ▶ Bengui and Bianchi, 2014 – prudential k-controls with shadow banking
 - ▶ Schulze, 2000 – PE of capital controls

Evasion by “sophisticated” financial markets

- ▶ It is often asserted that capital controls may not be effective because they are easily evaded. . .
 - ▶ Edwards (1999): evasion through misinvoicing lowered the efficacy of Chile’s controls
 - ▶ Garber (1998): derivatives may make it easier to evade controls
 - ▶ Klein (2012): Harder to enforce controls in countries with “experienced” or sophisticated financial markets
- ▶ . . . But if evasion is costly controls will still be binding
 - ▶ “wedge” between domestic and international financial markets
 - ▶ Levy-Yeyati et al (2008): controls increase “cross-market premium”
- ▶ What determines this cost?
 - ▶ enforcement capacity of the regulator?
 - ▶ financial sophistication?
 - ▶ strategic considerations?

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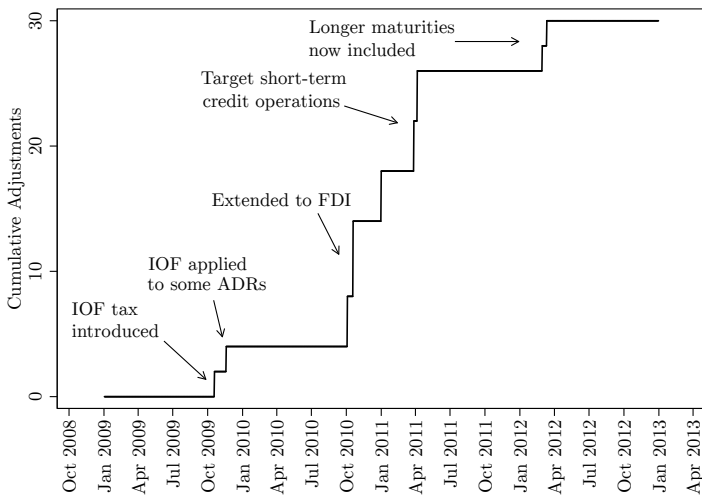
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Timeline of Brazil's IOF tax

Cumulative Number of Policy Changes



Benchmark Framework

Basic Elements:

- ▶ Small Open Economy
- ▶ 2 periods: $t=1$, $t=2$
- ▶ Endowment economy
- ▶ Banks intermediate between world and domestic market

- ▶ Competitive benchmark:

$$R = R^* + \tau$$

- ▶ “Dutch disease” externality to motivate k-controls
 - ▶ Period 2 endowment is decreasing in aggregate capital inflows

$$Y = \bar{Y} - \varphi D$$

- ▶ where $\varphi > 0$ is the size of the externality

Benchmark Framework

Households:

$$\max_{c_1, c_2} u(c_1) + \beta u(c_2) \quad \text{subject to}$$

$$c_1 = d, \quad c_2 = y - Rd + T$$

- ▶ y : Individual endowment
- ▶ R : Domestic gross interest rate
- ▶ T : Lump-sum transfers

Note: HH take $Y = \bar{Y} - \varphi D$ as given!

Benchmark Framework

Laissez-faire equilibrium ($\tau = 0$)

$$u'(D_{lf}) = \beta R^* u' [\bar{Y} - (R^* + \varphi) D_{lf}]$$

- ▶ Features *overborrowing!*
- ▶ Intuition: private rate of return \neq social rate of return

Social Planner equilibrium

$$u'(D_{sp}) = \beta(R^* + \varphi) u' [\bar{Y} - (R^* + \varphi) D_{sp}]$$

Optimal Capital Controls

$$\tau = \varphi$$

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Basic Evasion Model

- ▶ Game between “banks” and the “regulator”
 - ▶ Banks borrow internationally and lend to households
 - ▶ Regulator imposes capital controls to achieve SP solution
 - ▶ Banks attempt to evade controls to minimize borrowing costs
- ▶ Limited Institutional capacity
 - ▶ Developing country
 - ▶ Ability to enforce regulation is constrained
 - ▶ Imperfect monitoring of bank borrowing
 - ▶ *Implication*: effective tax is endogenous
- ▶ Role of financial “sophistication” or “complexity”
 - ▶ More “sophisticated” fin. markets are harder to regulate
 - ▶ Can think of as *regulatory loopholes*
 - ▶ Other interpretation: fin. complexity implies more instruments through which to evade

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Loophole Game

Definition (Loophole Game)

- ▶ **Players:** *the “bank” (B) and the “regulator” (R).*
- ▶ **Actions:** *instrument borrowing and monitoring choices*

$$A_i = \{1, 2, \dots, J\} \text{ for } i = \{B, R\}$$

- ▶ **Payoffs:**

$$\text{Player B: } v(a_B, a_R) = \begin{cases} -\tau & \forall a_B = a_R \\ 0 & \forall a_B \neq a_R \end{cases}$$

$$\text{Player R: } m(a_B, a_R) = \begin{cases} \tau & \forall a_B = a_R \\ 0 & \forall a_B \neq a_R \end{cases}$$

Regulatory Equilibria

Effective Inflow Tax:

$$\tilde{\tau} = \frac{\tau}{J}$$

- ▶ Fraction of tax “leaks” due to evasion

Definition (Naive Planner)

The Naive Planner does not take bank evasion into account and sets the inflow tax at $\tau_{np} = \varphi$

Definition (Sophisticated Planner)

The Sophisticated Planner is the first-mover and anticipates bank evasion. The SP maximizes social welfare subject to the bank's best response function and sets $\tau_{sp} = J\varphi$

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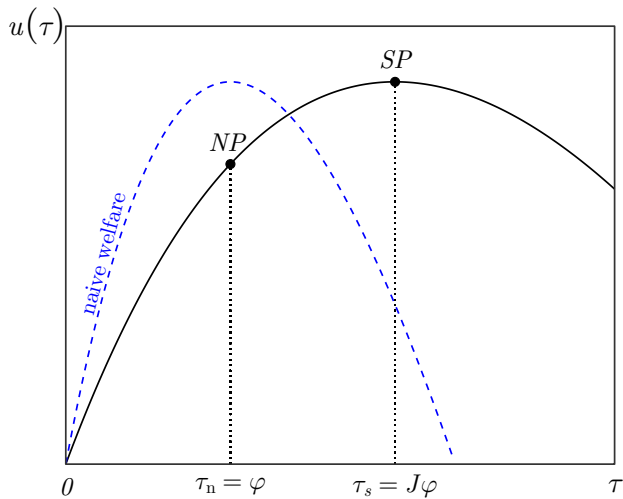
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Social welfare in the loophole game



A Model with Perfect Evasion

- ▶ Enforcement game is played sequentially rather than simultaneously
- ▶ Banks incur evasion costs $\gamma > 0$ per unit of funds intermediated
- ▶ Timing:
 - 1 Regulator chooses which loophole to monitor
 - 2 Bank chooses to evade or to comply with k-controls
 - 3 If evade, bank observes regulator's move and chooses loophole

Implication:

- ▶ Sufficiently large τ can “trigger” evasion
- ▶ Capital control loses traction beyond threshold

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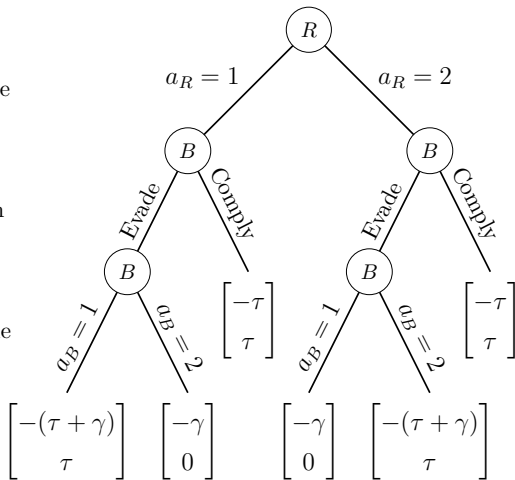
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Sequential loophole game with two loopholes ($J = 2$)

Stage 1: R chooses loophole

Stage 2: B evasion decision

Stage 3: B chooses loophole



Domestic Interest Rate:

$$R = R^* + \min\{\tau, \gamma\}$$

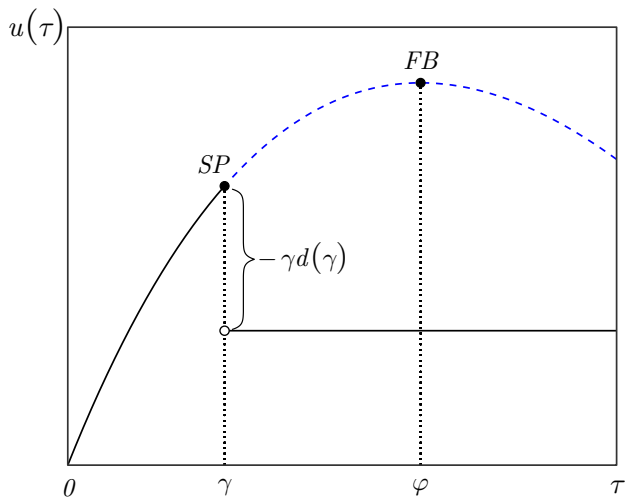
Period 2 constraint:

$$C_2 = \begin{cases} \bar{Y} - (\varphi + R^*) D & \text{if Bank complies } (\tau < \gamma) \\ \bar{Y} - (\varphi + R^* + \gamma) D & \text{if Bank evades } (\tau \geq \gamma) \end{cases}$$

Sophisticated Planner's problem:

$$\max_{\tau} u(D) + \beta u(C_2) \quad \text{subject to} \quad D = \max\{D(\tau), D(\gamma)\}$$

Social welfare in the sequential loophole game



Costly Evasion Setup

Banks' Problem

$$\max_{d,z} \mathbb{E}\{\pi\} = (R - R^* - p(\kappa)\tau)d - \gamma z$$

where

$$\kappa \equiv \frac{z}{d} \quad , \quad p'(\cdot) < 0 \quad , \quad p''(\cdot) > 0$$

First-Order Conditions

$$R = R^* + \tau(p(\kappa) - p'(\kappa)\kappa)$$

$$-p'(\kappa)\tau = \gamma$$

which implies...

$$\kappa^* = \kappa(\tau) \quad , \quad \kappa'(\tau) > 0$$

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Equilibrium

Decentralized Equilibrium is the fixed point D_{de} of:

$$u'(D_{de}) = \beta R u' [\bar{Y} - (\varphi + R^* + \gamma \kappa(\tau)) D_{de}]$$

where

$$R = R^* + \tau(p(\cdot) - p'(\cdot)\kappa)$$

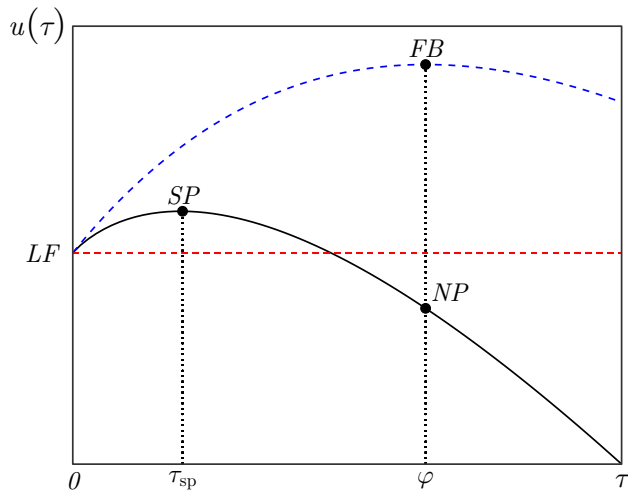
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$$\max_{\tau} u(D) + \beta u [\bar{Y} - (\varphi + R^* + \gamma \kappa(\tau)) D]$$

subject to

$$D = D_{de}(\tau) \quad \text{and} \quad z^* = \kappa(\tau) D_{de}$$

Social welfare in the costly evasion game



Costly Evasion

Intuition?

- ▶ Capital controls can lead to deadweight loss from evasion (γz^*)
- ▶ i.e. Misallocation of goods from consumption to evasion activities
- ▶ Pure waste from society's perspective!

Implication:

- ▶ Social optimum is not a decentralized equilibrium
- ▶ *BUT* capital controls can still do better than laissez-faire

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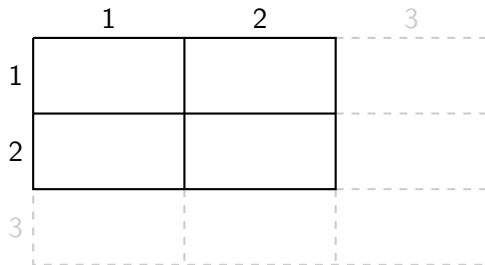
A Model with Financial Innovation

Building blocks

- ▶ Overlapping generations that live for two periods
- ▶ Imperfect financial sector competition
 - ▶ Financial services are a CES composite
 - ▶ Each service type is provided by a single monopolist
- ▶ Monopolist “innovates” → endogenous J
 - ▶ Rents incentivize discovery of new avenues for evasion
 - ▶ Standard Schumpeterian model
 - ▶ Monopolist keeps competitive advantage for one period
- ▶ Market is contestable
 - ▶ competitive fringe pins down interest rate

A Digression on “Innovation”...

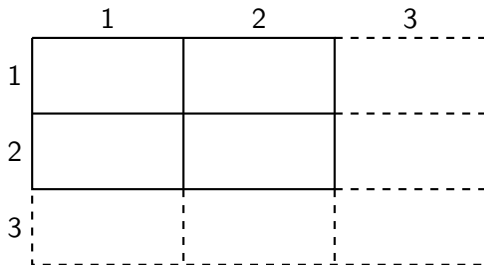
Innovation as increase in the game strategy space



$$R = R^* + \frac{\tau}{2}$$

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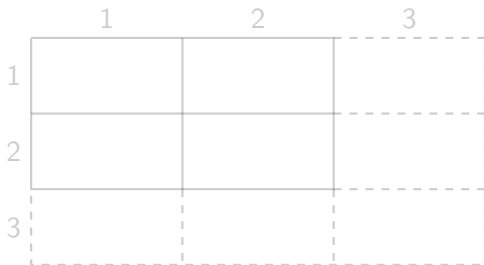
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$$R = R^* + \frac{\tau}{3}$$

A Digression on “Innovation”...

Innovation as increase in the game strategy space



General solution
with J instruments $\longrightarrow R = R^* + \frac{\tau}{J}$

Monopolist Bank's Problem (sketch)

Flow profits

$$\pi_{it} = \left(R - R^* - \frac{\tau}{J_t} \right) D_{it}$$

where

$$J_t = J_{t-1} + 1$$

Limit Price Interest Rate

$$R = R^* + \frac{\tau}{J_{t-1}}$$

Implies...

$$\pi_{it} = \frac{\tau D_{it}}{J_{t-1}(J_{t-1} + 1)}$$

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Monopolist Bank's Problem (sketch)

Innovation Decision

$$\max_z \mathbb{E}\{\Pi_{it}\} = \Psi(z)\pi_{it} - z$$

where

$$\Psi(z) \in [0, 1] \text{ and } \Psi'(z) > 0, \quad \Psi''(z) < 0$$

Solution

$$z^* = z(\tau)$$

where

$$\frac{\partial z}{\partial \tau} = -\frac{\Psi'(z^*)\pi'(\tau)}{\Psi''(z^*)\pi(\tau)} > 0$$

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Expected Evolution of Loopholes

$$\mathbb{E}\{J_t\} = \Psi(z^*)\pi(\tau) + J_{t-1}$$

- ▶ Loopholes J_t will increase as long as $\tau > 0$
- ▶ In the limit $t \rightarrow \infty$, $J_t \rightarrow \infty$
- ▶ Capital controls become completely ineffective over time

$$\lim_{t \rightarrow \infty} \frac{\tau}{J_t} = 0$$

- ▶ Implies policymakers need to continuously close loopholes!

Thank You :)